

<p><b>Limits</b> Notation for: Limit from the left of <math>f(x)</math> as <math>x \rightarrow a</math></p> <p>Limit from the right of <math>f(x)</math> as <math>x \rightarrow a</math></p> <p><b>Definition of Continuity:</b> A function is continuous at the point <math>x=a</math> if and only if:</p> <ol style="list-style-type: none"> <li>1.</li> <li>2.</li> <li>3.</li> </ol> <p><b>Situations in which limits fail to exist:</b></p> <p><b>Situations in which derivatives fail to exist:</b></p> <p>Definition of e:</p> <p><b>Extreme Value Theorem</b></p> <p>Point-slope form</p> <p><math>\ln(1) =</math>            <math>\ln(e) =</math></p> <p>[ ] <i>Closed Interval</i> ( ) <i>Open Interval</i></p>	<p><b>Curve Sketching and Analysis</b></p> <p>Critical Points:</p> <p>Global Min:</p> <p>Global Max:</p> <p>Point of Inflection:</p> <p><b>Derivatives</b></p> <p>Definition of Derivative <math>\frac{d}{dx}(f(x)) =</math></p> <p>Alternate Form of Def. of Derivative <math>\frac{d}{dx}(f(x))</math> at <math>x = a</math></p> <p>Chain Rule <math>\frac{d}{dx}[f(u)] =</math></p> <p>Product Rule <math>\frac{d}{dx}(uv) =</math></p> <p>Quotient Rule <math>\frac{d}{dx}\left(\frac{u}{v}\right) =</math></p> <p>Where u and v are functions of x</p>	<p><b>More Derivatives</b> Where u is a function of x and a is a constant</p> <p><math>\frac{d}{dx}(x^n) =</math></p> <p><math>\frac{d}{dx}(\sin u) =</math></p> <p><math>\frac{d}{dx}(\cos u) =</math></p> <p><math>\frac{d}{dx}(\tan u) =</math></p> <p><math>\frac{d}{dx}(\cot u) =</math></p> <p><math>\frac{d}{dx}(\sec u) =</math></p> <p><math>\frac{d}{dx}(\csc u) =</math></p> <p><math>\frac{d}{dx}(\ln u) =</math></p> <p><math>\frac{d}{dx}(e^u) =</math></p> <p><math>\frac{d}{dx}(\sin^{-1} u) =</math></p> <p><math>\frac{d}{dx}(\cos^{-1} u) =</math></p> <p><math>\frac{d}{dx}(\tan^{-1} u) =</math></p> <p><math>\frac{d}{dx}(\cot^{-1} u) =</math></p> <p><math>\frac{d}{dx}(a^u) =</math></p> <p><math>\frac{d}{dx}(\log_a u) =</math></p> <p><math>\frac{d}{dx}(\sec^{-1} u)</math></p> <p><math>\frac{d}{dx}(\csc^{-1} u)</math></p> <p><b>Intermediate Value Theorem</b></p> <p><b>Solution to <math>dy/dt = ky</math></b></p>
--	---	---

<b>The Mean Value Theorem</b> (derivatives)	<b>Distance, Velocity, and Acceleration</b> $s(t)$ is the position function, $\langle x(t), y(t) \rangle$ is the position in parametric	<b>Parametric Equations</b>  $\frac{dy}{dx} =$
<b>The Fundamental Theorem of Calculus</b>	velocity vector =  acceleration vector =  speed (rectangular and parametric) =	$\frac{d^2y}{dx^2} =$
<b>2nd FTC</b> $\frac{d}{dx} \int_a^{g(x)} f(t) dt =$	displacement (change in position) =	<b>Polar Curves</b> 4 conversions
<b>Area Under The Curve</b> (Trapezoids)	distance travelled (rectangular and parametric) =	Area =  Slope =
<b>Mean Value Theorem for Integrals</b> (Average Value)	new position	Area Between Polar Curves=
<b>Area between curves:</b>	average velocity =	<b>When velocity and acceleration have the same sign, the speed of a particle is _____.</b> <b>When they have opposite signs, the speed is _____.</b>
<b>Solids of Revolution and Friends</b> General volume equation	<b>L'Hôpital's Rule</b> (Bernoulli's Rule)	<b>The Slope of inverse functions are _____ of each other.</b>
Disk Method	<b>Euler's Method</b>	<b>If <math>f(x)</math> grows faster than <math>g(x)</math>, then...</b> $\lim_{x \rightarrow \infty} \frac{f(x)}{g(x)} =$
Washer Method	<b>Integration by Parts</b>	<b>If <math>f(x)</math> grows at the same rate as <math>g(x)</math>, then...</b>
Arc Length (rectangular)	<b>Logistics</b> $\frac{dP}{dt} =$	$\lim_{x \rightarrow \infty} \frac{f(x)}{g(x)} =$
Cylindrical Shell Method		$\int \tan u du =$
		$\int u^n du = \quad n \neq -1$
		$\int u^{-1} du =$